



Pressure dependence of optical transitions in ordered GaP/InP superlattices

5`VYfrc: fUbWgWYHj`UbX`5`YI`Ni`b[`Yf`

7`JhJcb: `5dd`jYX`D\ng]Mj`@YHfYfg`65Z&-`-\$`f%`-(`L/Xc].`%\$`%\$`*`#`%`%`&`(`,`*`

J`Jk`cb`]bY.`\`hd.`#Xl`"Xc]"cf[`#`\$`"%"`\$`*`'`#`%`%`&`(`,`*`

J`Jk`HUV`Y`cZ7`cbYbfg.`\`hd.`#gV]Ujcb"U]d"cf[`#`L`bY`bH]d#`#`c`i`fbU`#Ud`#`(`) `#&` 3j`Yf1dXZ\`tj`

Di`V]g\`YX`Vmi`h`Y`5`D`Di`V]g\`]b[`

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Dc`Uf]nUjcb`Z]Y`Xg`UbX`VUbX`cZgYhg`]b`];`U`b`D`#`U5g`UbX`cfXYfYX#]gcfXYfYX`;`U`b`D`gi`dYfUhtjWg`

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Pressure dependence of optical transitions in ordered GaP/InP superlattices

of freedom $t_{s,a}$

mixing with off-G states is rather weak, the pressure coefficient is very close to the binary average.

-ii! The pressure coefficients given in Table I correspond to *perfect* long-range order -LRO parameter $h=1!$, where the admixture with off-G states is maximal. The pressure coefficients for lower degrees of order $-0 < h < 1!$ can be derived from:¹⁰

$$a-h! = a-0! + h^2 a-1! - a-0!h. \quad -4!$$

Approximating the pressure coefficient $a-0!$ of the random alloy with the average of the binaries -Table II!, we obtain $a_G-0! = 8.2$ meV/kbar and $a_X-0! = -2.0$ meV/kbar. This compares well with the previously measured pressure coefficients of the disordered $\text{Ga}_{0.5}\text{In}_{0.5}\text{P}$ alloy: $a_G-0! = 8.8,$ ³ $8.6 \pm 0.6,$ ¹¹ and 8.4 ± 0.2 -Ref. 12! meV/kbar, and $a_X-0! = -2.0 \pm 0.2$ meV/kbar.¹² In all the four structures considered here we have $a_G-1! < a_G-0!$, so from Eq. -4! it follows that the pressure coefficient of the conduction-band minimum -CBM! *decreases* with increasing ordering.

-iii! The VBM \rightarrow CBM+1 transition distinguishes the L_{1c} -folding CuPt structure $-a=4.0$ meV/kbar! from the remaining X_{1c} -folding superlattice structures $-a. -$