



$$E = \frac{\sqrt{+ -}}{-} = - -$$

2.2.1. *S a ial āng la i y of*

$$- = \frac{1}{\sqrt{2}} + \frac{1}{\sqrt{2}} - \frac{1}{\sqrt{2}}$$

a finite resolution then either the physics or numerics define a finest length scale (Δx) and we can pick $\Delta x \gg \lambda^{-2}$

3.3. Application

Finally, the expansions were tested for various hydrogen-like sys-

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